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# CLASS A PREDICTION OF MECHANISED TUNNELLING IN ROME 

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#### Abstract

Contract T3 of Line C of Rome underground, currently under construction, crosses the archaeological area of the historical centre, with significant interferences with the existing monumental built environment. A fully instrumented green field control section was established at the beginning of this contract, in representative ground conditions. This paper presents a thorough Class A prediction of the passage of the tunnels through the control section, obtained using a recently developed advanced numerical procedure. The ground was modelled with a non-linear constitutive law, calibrated with all the available data from the geotechnical investigation. The main physical processes occurring around the shield, including cutter-head overcut, shield tapering and tail void grouting were modelled in detail. The numerical results agree qualitatively with the findings from well documented case histories and results from physical models. The installed instrumentation will provide an opportunity to test the ability of the adopted procedure to reproduce quantitatively the measured performance, once the tunnels will cross the control sections and the field data will become available.


## Key words:

Mechanised tunnelling; Numerical analyses; Class A prediction; Hypoplastic models

## INTRODUCTION

Once completed, Line C of Rome underground will cross the city centre from North-West to South-East and then reach out to the eastern suburbs, for a total length of about 26 km , with 30 stations, and 13 ventilation shafts. The easternmost 9 km of the line are on surface, while the remaining 17 km are bored using two EPB shields. At present, Contracts T4 to T7, comprising the surface stretch, about 10 km of twin running tunnels, and 11 underground stations, have been completed and are in operation. The next stretch of the line, Contract T3, will cross the archaeological area of the historical centre, with significant design challenges connected to presence of buried archaeological remnants and the necessity of minimising the effects of construction on an existing built environment of outstanding historical and monumental value. In fact, the grantor of the project, that is the Municipality of Roma through Roma Metropolitane Ltd, required that the general contractor, Metro C SCpA, set up a multidisciplinary Steering Technical Committee (STC), with the assignments of evaluating the effects of the construction of the line and implementing all necessary procedures to safeguard the monumental heritage.

In this framework, a fully instrumented green field control section was established by the STC at the so-called AMA site, in ground conditions representative of those encountered on Contract T3. Fig. 1 is an aerial view of the contract, which runs between San Giovanni and Venezia and comprises about 4 km of twin running tunnels, two stations, and two shafts, indicating the position of the AMA site, at the very beginning of the contract.

This work is a Class A prediction of the effects of the passage of Line C running tunnels through the control section by 3D finite element analyses. The term "prediction" is often used when describing the results of numerical or analytical calculations. Boone (2006)
recommended that it should always be used in conjunction with a "prediction class" as introduced by Lambe (1973), depending on whether the predictions are made before (Class A), during (Class B), or after (Class C) construction, and, in these last two cases, according to whether or not the results were known ( B 1 or C 1 ) or not known ( B or C ) to the authors of the prediction. Most of the so-called predictions are in fact Class C1, so they should be better described as back analyses. Negro (1998) further classified predictions in four categories of increasing thoroughness. In practice, for soft ground tunnelling, the most commonly predicted feature is just the surface settlement trough, but very rarely is the field of subsurface or horizontal displacements predicted or compared with field observations.

In recent years, several sophisticated numerical procedures have been proposed to model in great detail mechanised tunnelling, accounting for the main physical processes occurring around the shield. However, these procedures have typically only been tested in idealised conditions, such as uniform soil layers with assumed mechanical behaviour and properties, and, therefore, their ability to reproduce quantitatively rather than qualitatively the actual performance has not been properly assessed.

The main aim of this paper is to test the predictive capability of an advanced numerical procedure to simulate mechanised tunnelling in a real case. The simulations were carried out before construction, using all the available data from the geotechnical investigation to calibrate the non-linear constitutive laws adopted for the soil; furthermore, all displacement components, both surface and subsurface, as well as excess pore water pressures were predicted. Once the full set of data from the monitoring system will be available, comparison with the Class A predictions presented in this paper will provide
the validation of the proposed simulation technique, which, in turn will help interpreting the observed behaviour.

Unlike other commonly employed approaches, the proposed numerical procedure does not require the introduction of any a priori assumptions regarding the expected results (such as volume loss, width of the settlement trough, etc.) as it aims at reproducing realistically the perturbation induced in the ground by the TBM operation. Hence, the technique could be used with confidence to study soil-structure simulation problems, which usually are the most relevant application, without any significant adaptation of the method.

## 1 BACKGROUND

Numerical analyses of mechanised tunnel excavation are often carried out using simplified approaches in which fictitious perturbations are applied at the excavation boundary, thus disregarding the physical processes occurring around the shield. These perturbations may consist of either applied stress distributions (e.g. Mroueh and Shahrour, 2008), or prescribed displacement fields (e.g. Rampello et al., 2012; Losacco et al., 2014, 2016; Boldini et al., 2018), generally calibrated by trial and error to obtain a given value of volume loss $V_{\mathrm{L}}$ and a realistic shape of the settlement trough at ground surface in greenfield conditions. Hence, both $V_{\mathrm{L}}$ and the trough width parameter $K$ are input data, and there is a certain degree of arbitrariness in their choice.

Recently, more sophisticated numerical strategies have been proposed, simulating some of the physical processes occurring during mechanised tunnelling, including application of a face support pressure, interaction between the shield and the surrounding soil, lining installation and backfill grouting of the tail void.

Simulation of the face pressure through a force distribution on the tunnel face, either uniform (e.g. Founta et al. 2013, Chakeri et al. 2013) or linearly increasing with depth (e.g. Dias and Kastner, 2013; Kavvadas et al., 2017) is by far the most common choice. Simulation of ground loss along the steering gap has been carried out using a wide variety of approaches: either by prescribing volumetric strains (e.g. Broere and Brinkgreve, 2002) or radial displacements (e.g. Dias and Kastner, 2013; Founta et al., 2013) to the shield elements or by applying a purposely calibrated stress field at the excavation boundary (Castellanza et al., 2013) or by introducing fictitious solid elements with adequately chosen stiffness (Lambrughi et al., 2012). In all those cases, the convergence due to the gap is an imposed condition rather than a result of the analysis. Some authors allow the tunnel boundary to deform until the limit imposed by the actual shield geometry, that is not explicitly modelled (Jenck and Dias, 2004; Do et al., 2013a; Comodromos et al., 2014). In other studies, the shield was modelled using a separate, independent mesh and the interaction with the surrounding soil was enforced using contact laws (e.g. Kasper and Meschke, 2004; Meschke et al., 2011).

Grouting of the tail void is often simulated through a radial pressure distribution applied at the tunnel boundary (Dias and Kastner, 2013; Do et al., 2013a). The layer of hardened grout is modelled using solid elements in Migliazza et al. (2009) and Chakeri et al. (2013). Progressive hardening can be simulated using time-dependent elastic properties for the elements of the backfill layer (e.g. Meschke et al., 2011; Lambrughi et al., 2012; Comodromos et al., 2014).

Some recent studies (Comodromos et al., 2014; Ochmański et al., 2018) showed the successful performance of such detailed models of mechanized tunnelling both in
greenfield conditions in matching the observed soil response, although in class C predictions which considered limited sets of field data.

This study adopts a slightly modified version of the simulation technique recently proposed by Kavvadas et al. (2017), which focuses on modelling in detail the steering gap and the tail void grouting, assumed to be the most significant factors influencing the ground loss. In this approach, no arbitrary perturbations are applied at the tunnel boundary nor is any calibration of fictitious material properties involved.

## 2 THE SITE

A geological section of the area, transverse to the tunnel axes, is shown in Fig. 2. The soil profile is based on the boreholes cored in five campaigns of geotechnical investigation and more recently for the installation of the instruments in the monitoring section at the AMA site. Starting from the almost horizontal ground surface, the soil profile comprises the following sub-horizontal layers:

1) made ground $(R)$ : very heterogeneous gravelly and sandy soils in a pyroclastic matrix, 17-18 m thick;
2) recent alluvial deposits of the Tiber river (LSO): sandy silts and organic silty sands, with a thickness decreasing from of about 8 m in the northern part of the site, to disappear south of the tunnels;
 clayey silts (Ar), with a maximum thickness of 12 m and a ditch filled with the overlying LSO soil north of the tunnels;
3) Pleistocene fluvial deposit (SG): sands and gravels, with an approximately constant thickness of 10 m ;
4) Monte Vaticano clay (Apl): over-consolidated and very stiff silty clays and clayey silts, with an almost horizontal roof at 5.5 m a.s.l. and extending to a depth of hundreds of meters.

The ground water table is located at a depth of about 9.0 m ; piezometer measurements indicate a downward seepage occurring through the alluvial deposits, with a hydraulic head in the SG layer about 9.0 m lower than in the made ground.

Fig. 3 summarises the main physical properties of the soil layers at the site.
A simplified geotechnical model with horizontal layers and ground surface was assumed as follows, in which, due to their similar mechanical properties, LSO and $\mathrm{St} / \mathrm{Ar}$ were considered as a single layer (LSO in the following):

1) $R$, from ground surface to 17 m depth;
2) LSO , from 17 m to 30 m depth;
3) SG , from 30 m to 42 m depth;
4) Apl, from 42 m to indefinite depth.

The AMA site is located at the beginning of contract T3, between Amba Aradam/Ipponio Station and multi-functional Shaft 3.3, approximately 300 m east of the station. The two tunnels will be excavated in sequence, from Shaft 3.3 towards Amba Aradam/Ipponio Station; the excavation of the South Tunnel will start about 60 days after the North Tunnel, with a longitudinal distance of approximately 120 m between the two excavation faces. The tunnel axes run approximately 14.5 m apart at a depth $z_{0}$ of about 25 m below ground level.

Figs. 4 (a) and (b) show a plan view of the site and a cross section with the subsurface instrumentation, respectively. The latter comprises 7 Trivecs, for the measurement of all
components of displacement, 5 inclinometers, and 5 vibrating wire piezometers. Surface levelling points are also installed in the section.

## 3 DETAILS OF NUMERICAL MODEL

### 3.1 Simulation of tunnel excavation

The analyses were carried out using the finite element software Abaqus 6.14, adopting the technique described in Kavvadas et al. (2017) and recently employed by Litsas et al. (2018) to simulate the tunnelling process. The proposed technique accounts for the main physical processes-taking place at the excavation boundary, which are shown schematically in Fig. 5.

The two EPB shields used for the excavation are identical, with total length of 11.8 m and maximum diameter of the cutting wheel $D=6.71 \mathrm{~m}$. The diameter of the shield decreases from 6.69 m behind the cutterhead to 6.67 m at the tail, resulting in an annular gap increasing from 10 mm to 20 mm towards the shield tail. The outer diameter of the lining is 6.40 m , resulting in a tail void gap of 155 mm . The shields are modelled as rigid bodies and their rotation is constantly constrained; the self-weight, including the weight of the machinery enclosed in the shield and of the muck in the excavation chamber, is applied as a concentrated vertical load.

A contact law is activated at all stages to simulate interaction between the shield and the soil around the excavation boundary: a pressure-overclosure relation with very large stiffness is adopted for contact in the normal direction, while frictionless contact is assumed in the tangential direction. The contact constraints are enforced using a penalty method that minimises overclosure and improves the convergence of the FE solver.

At each excavation stage the shield is advanced a distance $L_{\text {exc }}=2.8 \mathrm{~m}$, i.e. the length of two lining rings, then elements representing the lining are activated right behind the tail over the same length $L_{\text {exc }}$; the front nodes of the newly activated lining elements are fixed, assuming that their movements are constrained by the action of the hydraulic jacks, that are not explicitly simulated. The lining is modelled as monolithic, without any joints between adjacent rings or segments, as previous studies (Do et al., 2013b, 2013c) have demonstrated that taking into account its segmental nature does not affect significantly predicted ground displacements. Prediction of structural forces in the lining is out of the scope of this paper.

Pressurised backfill injections will be performed during the excavation phase using a twocomponent grout. In the numerical model, this is simulated through the application of a uniformly distributed pressure $p_{\text {grout }}$ over the length $L_{\text {exc }}$ immediately behind the shield tail, acting both on the excavation boundary and on the extrados of the freshly activated lining ring, assuming that right after the injection the grout is in a liquid state. Starting from a distance $L_{\text {exc }}$ behind the shield tail, hardening of the grout is simulated by removing the radial pressure and activating a ring of solid elements with initial isotropic stress equal to $p_{\text {grout }}$ and with Young's modulus increasing with time. The grout injection pressure was fixed to $p_{\text {grout }}=250 \mathrm{kPa}$, that is the average between the design value of 400 kPa targeted by the general contractor and the minimum alarm threshold of 100 kPa . Some preliminary analyses, presented below, were undertaken to assess the effect of a variation of $p_{\text {grout }}$ within this range.

Consistently with the indications of the general contractor, a support pressure equal to the in situ horizontal total stress is applied at the excavation face at all stages, assuming
optimal operation of the EPB shield so that little or no ground loss is induced at the tunnel face.

Given the design tunnelling rate of $10 \mathrm{~m} /$ day in the examined area, carried out on a 6 days/week basis, a corresponding average advancement rate was assumed such that each $L_{\text {exc }}$ long excavation step was carried out in 8 hours.

### 3.2 FE model

Fig. 6 shows the Finite Element models employed for the analyses. The bottom boundary of the mesh corresponds to the roof of the stiff clay deposit, i.e. 42 m below ground surface.

The finite element mesh extends 154.5 m in the $x$ direction, transversal to the tunnel axis, and 170.0 m in the longitudinal $y$ direction. Its size is sufficiently large to minimise the effect of the boundaries; the maximum excavation length from the initial boundary is $L_{\max }=120.4 \mathrm{~m}$. The monitoring section is at $y_{\text {mon }}=61.6 \mathrm{~m}$ from the initial boundary, approximately half way along the tunnel extent at the end of the analysis. The mesh contains 62719 nodes and 56496 hexahedral 8-noded elements; this density was chosen after a preliminary set of analyses to compromise between solution accuracy and reasonable calculation times.

The displacements of the nodes on the side faces of the model are constrained in the normal direction, while all components of displacements are constrained at the base. Constant pore pressure is prescribed at the interface between the R and the LSO layers and between the latter and the SG layers, so as to reproduce the observed downward stationary seepage at the beginning of the analysis; a no flow condition is always enforced at the tunnel boundary.


#### Abstract

All the analyses were conducted in terms of effective stress and employing a coupled consolidation scheme. The whole simulation can be subdivided into four main stages as follows: 1. Geostatic equilibrium: application of the initial effective stress field and distribution of pore water pressure, in equilibrium with gravity load and hydraulic boundary conditions;


2. North Tunnel excavation: excavation of North Tunnel up to $L_{\max }=120.4 \mathrm{~m}$ from initial boundary, with an average excavation rate of $0.35 \mathrm{~m} /$ hour.
3. Consolidation: consolidation analysis for a duration corresponding to the time gap between the passages of the two TBMs;
4. South Tunnel excavation: same as for North Tunnel.

### 3.3 Constitutive models for soils and structural materials

Hypoplastic models for granular materials (von Wolffersdorff, 1996) and for clays (Mašín, 2005) were used for layers R and LSO, respectively. These models are able to reproduce the main relevant features of soil response, including non-linearity of stressstrain behaviour, dependency of stiffness and strength on mean effective stress and void ratio, evolving dilatancy, and critical state conditions. The introduction of the Inter Granular Strain concept (Niemunis and Herle, 1997) into the original version of the models permits to take into account initial large stiffness at small strain, decay of stiffness with shear strain, and influence of recent strain history.

The model for granular materials requires eight material parameters, namely: the critical state friction angle $\varphi_{\mathrm{cs}}$; the reference stress $h_{\mathrm{s}}$ and the exponent $n$, controlling the overall slope and curvature of asymptotic normal compression paths in e:p' plane; the minimum,
critical state and maximum voids ratio at zero mean effective stress, $e_{\mathrm{d} 0}, e_{\mathrm{c} 0}$ and $e_{\mathrm{i} 0}$; two exponents $\alpha$ and $\beta$, which rule the dependency of the angle of friction at peak on void ratio and the stiffness in shearing, respectively.

The clay hypoplastic model requires five material parameters, similar to those of Modified Cam Clay (Roscoe and Burland, 1968): $\varphi_{\text {cs }}$ is the critical state friction angle, $N$ and $\lambda^{*}$ control the position of the isotropic normal compression line and $\kappa^{*}$ the slope of the isotropic unloading line in a $\log (1+e): \log p$ plane, while the ratio $\lambda^{*} / \kappa^{*}$ dictates the shape of the state boundary surface. Finally, parameter $v$ controls the shear stiffness.

The introduction of the intergranular strain requires calibration of 5 or 6 additional parameters, depending on the model: the shear stiffness at very small strain, corresponding to $180^{\circ}$ strain path reversal, is controlled by parameter $m_{\mathrm{R}}$ in the model for sand, and by parameters $A_{\mathrm{g}}$ and $n_{\mathrm{g}}$ in the clay model; $m_{\mathrm{T}}$ and $m_{\mathrm{rat}}$ control the initial shear modulus on a $90^{\circ}$ change of direction of the strain path in the sand and clay models, respectively; $R$ defines the size of the pseudo-elastic range in the strain space; $\beta_{\mathrm{r}}$ and $\chi$ control the rate of degradation of stiffness with strain.

As no laboratory tests were available for the coarse-grained made ground, the critical state friction angle $\varphi_{\mathrm{cs}}$ was obtained from the results of SPT and CPT tests and the intergranular strain parameter $m_{\mathrm{R}}$ by fitting the profile of $G_{0}$ with depth from cross-hole tests. For the remaining material constants, average values were assumed based on those provided in Herle and Gudheus (1999) for six different sandy soils.

Parameters $A_{\mathrm{g}}$ and $n_{\mathrm{g}}$ of the clay model were obtained from the profile of $G_{0}$ with depth; $R, \beta$ and $\chi$ were calibrated based on the results of resonant column tests, while a typical value for $m_{\text {rat }}$ was taken from the literature. Fig. 7 shows the results of the calibration of $N, \lambda^{*}$ and $\kappa^{*}$ for the LSO layer, using data from oedometer tests. Finally, the value of $v$
was obtained by fitting the results of isotropically consolidated drained and undrained triaxial compression tests, and $K_{0}$-consolidated-undrained triaxial extension tests, as shown in Figs. 8(a) to (d). The constitutive model reproduces the observed soil behaviour remarkably well under a variety of different test conditions.

To account for the stress history, either the void ratio, $e$, or the overconsolidation ratio, $O C R$, can be used as a state variable in the two hypoplastic models, and their initial values must be prescribed at the beginning of the analyses. A constant void ratio $e=1.0$ was assumed for the R layer, whereas a constant $O C R=1.3$ was used for the LSO layer.

The SG layer was modelled as linear elastic-perfectly plastic, with a constant elastic shear modulus equal to one third of the mean value of the data from cross-hole tests, to account for the expected shear strain level, while the angle of friction was derived from the SPT tests.

Tables 1-3 summarise the assumed values of material constants for the three soil layers, together with their unit weight, $\gamma$, coefficient of earth pressure at rest, $K_{0}$, and permeability $k$. The coefficient of permeability, $k$, was obtained from Lefranc tests while $K_{0}$ was estimated as (Mayne and Kulhawy, 1982):
$K_{0}=(1-\sin \varphi) O C R^{\sin \varphi}$
assuming $O C R=1.0$ for both R and SG layers.
In the hardening phase, the tail void grout is modelled as linear elastic, with time dependent Young's modulus $E_{1}=0.5 \mathrm{GPa}$ after one day and $E_{28}=1 \mathrm{GPa}$ after 28 days (Kasper and Meschke, 2004). It is assumed that the grout behaves as an incompressible fluid, with Poisson's ratio close to 0.5 , until a time of 5 hours from the injection, and then its value is ramped down to 0.2 linearly with time.

The lining is isotropic linear elastic, with Young's modulus $E=31 \mathrm{GPa}$ Poisson's ratio $v=0.2$.

## 4 PRELIMINARY ANALYSES

The volume loss caused by the sole full closure of the tail void would be about $9 \%$, with potentially severe adverse effects due to late or ineffective grouting. Field observations in recent tunnelling projects, (e.g., Gens et al. 2011, Fargnoli et al. 2013) show that the tail void might be the largest source of volume loss due to the operation of an EPB shield. A sensitivity analysis was therefore carried out to assess the influence of grouting pressure on the displacements induced by the excavation.

In these preliminary analyses the excavation of the North Tunnel only was simulated, hence half of the problem was modelled, taking advantage of symmetry. Three values of tail void grout pressure were used, namely 400 kPa (maximum design value), 250 kPa (reference value), and 100 kPa (minimum design alarm threshold), as per indications of the general contractor.

Figs. $9(\mathrm{a}, \mathrm{b})$ report the effects of the grout pressure on the tunnel boundary, for three nodes located at the tunnel crown, invert and springline. As shown in Fig. 9(a), when the reference value of 250 kPa is applied, a recovery of displacements as high as 4.5 mm is recorded at the springline, i.e. almost $25 \%$ of the convergence occurred during the passage of the shield, while the radial displacements at the invert remain constant after grout injection. When the maximum value of grouting pressure is employed, the recovery at the springline rises to $57 \%$ and a backward radial movement is predicted at the tunnel invert. On the contrary, when the minimum pressure is applied, the convergence at the invert
rises by almost $50 \%$, and a slight increase of convergence is predicted at the crown, while it remains approximately constant at the springline.

Fig. 9(b) shows that, at all locations, small positive excess pore pressures develop during the shield advance through the control section, reaching a peak right after the passage of the tail, due to injection of grout into the tail gap at 250 kPa and 400 kPa . The relative amplitude of this peak, with respect to the steady-state value of pore pressure, is largest at the springline, where the radial in situ stress is the lowest, and very small at the invert, where the initial radial stress is the highest. At all locations the excess pressure is dissipated after approximately further 10 m advance of the shield, i.e. about 1 day, suggesting that, in this case, excavation is mainly a drained process, due to the low advancement rate and the relatively large permeability of the LSO layer. The relatively modest change of pore pressure from the initial to the final steady-state, is consistent with the distortion of the flow net due to the introduction of the tunnel boundary, assumed impervious, into the pre-existing downwards seepage flow.

The surface settlement troughs at the end of the analysis, both in the longitudinal direction and in the transverse monitoring section are plotted in Figs. 10(a) and (b) respectively. The effect of increasing the grout pressures from the reference to the maximum value, although significant close to the tunnel, is minimal in terms of settlements at ground surface. On the other hand, an appreciable increase in surface settlements is computed for the lowest grout pressure, with a relative difference of approximately $17.5 \%$. The volume loss calculated from the surface transverse settlement trough is $0.30 \%$ for the reference case with $p_{\text {grout }}=250 \mathrm{kPa}$, while $V_{\mathrm{L}}=0.28 \%$ and $0.38 \%$ are obtained for $p_{\text {grout }}=400 \mathrm{kPa}$ and 100 kPa respectively (relative variation of $-7 \%$ and $27 \%$ ). These values of volume
loss are in the range expected for similar ground conditions and tunnelling techniques (Bilotta et al., 2002; Fargnoli et al., 2015b, 2015a; Mair and Taylor, 1999).

The results described in this section suggest that if complete filling of the tail void is carried out immediately during the shield advance, in such a way to stop or even reduce the settlement at the tunnel crown, the settlement of the ground surface can be controlled effectively, and that the effect of increasing the grouting pressure, although significant at the tunnel boundary, is fairly limited close to the ground surface. This is consistent with field observations.

## 5 CLASS A PREDICTIONS

Figs. 11(a) and (b) show the evolution of the surface longitudinal settlement troughs due to the excavation of the two tunnels above their respective centrelines; the displacements shown for the South Tunnel are the increments relative to those induced by the first excavation. For each curve, the arrows indicate the position $y$ of the tunnel face. The construction of the North Tunnel induces a maximum settlement $w_{\max }=3.47 \mathrm{~mm}$, with a settlement at the tunnel face equal to $40 \% w_{\max }$; a well-defined steady-state zone can be observed starting from approximately 40 m behind the excavation face. The excavation of the South tunnel causes $w_{\max }=5.91 \mathrm{~mm}$ above its centreline, i.e. $70 \%$ larger than the value calculated for the previous excavation, with $33 \% w_{\max }$ at the tunnel face. Such a large increase of final settlement is due to the disturbance induced by the construction of the previous tunnel, given the relatively small distance $s=2.16 D$ between the two axes. The same behaviour was observed by Wan et al. (2017) for the construction of the twin tunnels of the Crossrail project with similar values of $z_{0} / D$ and $s / D$, in terms of both relative increase of maximum settlement and relative settlement above the tunnel face.

Fig. 12 shows the computed transverse settlement troughs for three depths, $z=0.0,9.0$ and 17.0 m , and compares them with those obtained from the well-known Gaussian empirical relationships (Peck, 1969). The relative difference between the maximum settlements produced by excavation of the two tunnels decreases with depth. A notable feature, confirmed by field observations in many case histories (e.g. Fargnoli et al., 2015a; Wan et al., 2017), is the asymmetry of the settlement trough induced by the second excavation, with the northern half being systematically wider than the other; once again, this is ascribed to the disturbance induced by the excavation of the North Tunnel. As in Wan et al. (2017), the best-fit curves were obtained by fitting the settlement troughs for points with $w / w_{\max } \geq 0.36$, fixing the value of $w_{\max }$ and the corresponding a. bscissa that, for the South Tunnel, does not coincide with the centreline, as observed also by Chen et al. (2011). Furthermore, a different fit was performed for the two halves of the South Tunnel settlement trough. A varying trough width parameter $K$ with depth was assumed, as proposed by Moh et al. (1996):
$K=K_{(z=0)}\left(\frac{z_{0}-z}{z_{0}}\right)^{m-1}$
with $m=0.4$, which is the suggested value for silty sands.
Figs. 13(a) and (b) show the vectors of incremental displacements for the first and the second excavation; at any depth, the focus of incremental displacement vectors is deeper for the South Tunnel than for the North Tunnel, and it is shifted towards the latter close to the ground surface while it tends to move away from it at greater depths. Also, the zone of influence for the second excavation is wider than that for the first excavation.

Fig. 14(a) shows the computed variation of the depth of the focus of incremental displacements $z_{\mathrm{f}}$ with depth for the two excavations; the horizontal offset $x_{\mathrm{f}}$ with respect
to the centreline is also plotted for the South Tunnel (negative towards North). Consistently with results from field observations (Chen et al., 2011; Wan et al., 2017) and numerical (Viggiani and Soccodato, 2004) and physical (Grant and Taylor, 2000) modelling, $z_{\mathrm{f}} / z_{0}$ increases linearly with $z / z_{0}$, with the foci being located below the tunnel axis for $z>0.15 z_{0}$, approximately. For the South Tunnel, the offset $x_{\mathrm{f}}$ decreases more than linearly with depth. It is worth noting that the asymmetry of the soil response to the excavation of the South Tunnel, due to the disturbance induced by the former bore, causes the foci of displacement vectors at depth to be poorly defined. Hence, for points located at depth, the coordinates of the focus must be regarded as the centre of a blurred area. Fig. 14(b) shows the transverse profiles of horizontal displacements for the same depths as in Fig. 12 and compares them with the empirical prediction obtained using the increasing depth and varying offset of the focus of incremental displacements given in Fig. 13(a). As for the transverse settlement trough, the distribution of horizontal displacements induced by the South Tunnel is asymmetric, with the point of null horizontal displacement at ground surface shifted towards the North Tunnel, consistently with the position of the maximum settlement. However, at larger depth, this point tends to move back towards the centreline of the South Tunnel. The corrected empirical relations are generally in very good agreement with the numerical results, although for the South Tunnel, the match degrades with depth, consistently with the more dispersed directions of displacement vectors.

The profiles of $K$ and $V_{\mathrm{L}}$ with depth are plotted in Figs. 15(a) and (b). As mentioned above, the northern half of the transverse settlement trough induced by the second tunnel is larger than the southern half at all depths. Consistently, the volume loss corresponding
to the northern half is also larger. Both the relationship proposed by Mair and Taylor (1999):
$K=\left[0.175\left(\frac{z_{0}}{z_{0}-z}\right)+0.325\right]$
and Moh et al. (1996) (see Eq. (2) above) match the predicted variation of $K$ with depth in the R layer reasonably well. The volume loss does not change significantly over the thickness of the made ground layer, implying small dilatancy connected to the low strain levels, whereas a sharp increase of $V_{\mathrm{L}}$ is recorded below the contact between the made ground and the LSO layer.

Figs. 16 and 17 report the profiles of settlements and transverse horizontal displacements predicted at the location of the Trivecs in the monitoring section. Excavation of the North Tunnel, Fig. 16(a), induces minimal tensile strains in the R layer; a sudden increase of settlements, with significant tensile strains, is predicted in the LSO layer right above the tunnel crown. Some compressive strain is obtained close to the tunnel springline (TR6 and TR4), as expected.

The pattern of vertical displacements due to excavation of the South Tunnel, given in Fig. $16(b)$, is very similar to that for the first tunnel, although larger values of absolute settlements are obtained. In both cases, steady-state conditions are achieved before the excavation face is 3 diameters (i.e. about 20 m ) ahead of the monitoring section.

The predicted greenfield profiles of horizontal displacements are clearly affected by tail grouting. The soil close to the springline tends to displace towards the tunnel axis as the excavation face approaches the monitoring section and is pushed backwards after the passage of the shield tail, as shown for the North Tunnel at TR6 and TR4 in Fig. 17(a). The same behaviour is predicted at TR4 and TR2 for the excavation of the South tunnel
in Fig. 17(b); again, the results confirm the asymmetry of the horizontal displacement field induced by the second excavation.

The contours of volumetric strain displayed in Figs. 18 (a) and (b) highlight an area of significant expansion around the tunnels (maximum 0.75\%), corresponding approximately to the thickness of the LSO layer. While the induced soil dilation does not change between the two excavations, Fig. 18 (b) shows a remarkable increase of compressive strains for the second excavation: close to the surface, above the centreline, and at the springline of the South Tunnel, in particular near the North Tunnel.

Figs. 19(a) and (b) suggest that the predicted volumetric expansion is associated with intense shearing in the vicinity of the tunnels and that, again, the strain regime is generally enhanced during the passage of the second tunnel.

Finally, Figs. 20 (a) and (b) report the predicted pore water pressures at the locations of the five installed piezometers. As before, the permanent variation of pore water pressure is small and can be ascribed exclusively to the change of hydraulic boundary conditions in the calculation domain, following activation of the impervious boundary of the tunnels into the pre-existing downward seepage flow.

## 6 SUMMARY AND CONCLUSIONS

A numerical "Class A" prediction of the passage of the running tunnels of Line C of Roma underground through a fully instrumented greenfield control section was carried out. Care was taken to predict displacements and excess pore water pressures at the same locations where instrumentation is installed on site, in order to permit direct comparison with the real field data, which will become available when the tunnels will cross the instrumented sections.

A recently proposed advanced numerical procedure was adopted, considering the main features of the shield and the main physical processes taking place during mechanised tunnelling. The volume loss and the trough width parameter are results of the analyses. The mechanical behaviour of all soils was simulated using hypoplastic models able to reproduce the main relevant features of the mechanical response, including non-linearity of stress-strain behaviour, dependency of stiffness and strength on mean effective stress and void ratio, evolving dilatancy, and critical state conditions. These were carefully calibrated using all the available data from laboratory and site tests.

The main findings of this predictive exercise can be summarised as follows:

- tail void grouting can control very effectively ground surface settlements; the effect of increasing or decreasing the grouting pressure, although significant at the tunnel boundary, is fairly limited close to the ground surface;
- excess pore water pressures generated by the tunnelling dissipate rapidly, suggesting that, for the case under examination, due to the low advancement rate and the relatively large permeability of the soil, the process is essentially drained. Permanent changes in pore water pressures after the passage of the shield are due to the change of hydraulic boundary conditions along the impervious boundary of the tunnels;
- the settlement trough induced by excavation of the second tunnel is significantly larger than the first and also not symmetric, with the abscissa of maximum settlement shifted towards the first tunnel, and the corresponding half of the settlement trough systematically wider than the other;
- the distribution of horizontal displacements induced by the second tunnel is also asymmetric, with the point of null horizontal displacement at ground surface shifted towards the first tunnel, consistently with the position of the maximum settlement;
- volume loss is essentially constant in the made ground layer, due to the low strain levels. A sharp increase of volume loss is predicted below the contact between the made ground and the silty clay layer, close to the tunnel crown, where relatively large shear strains concentrate.

Although the numerical results are promising, being in qualitative and in some instances quantitative agreement with the findings from well documented case histories and results of physical models, the final validation of the proposed analyses will be provided by comparison with the real field data, once the tunnels will cross the control section.

The proposed simulation approach requires quite a complex modelling phase and implies long calculation times, due to the large number of degrees of freedom, the need to simulate the progressive advance of the excavation, the many sources of non-linearity (hypoplastic constitutive models, soil-shield contact interaction, coupled consolidation). Hence, it is not likely to be adopted as a routine tool in tunnel design but can be extremely valuable to assess the expected effects of tunnel excavations (volume loss, displacement field at depth, etc.) for the calibration of simpler models or it can be used for the analysis of critical cases, such as when the potential damage on a sensitive structure must be estimated.

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Simulation Approach".

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Fig. 1 - Aerial view of contract T3 of Line C of Rome underground, location of instrumented site. Modified from Google Maps 2018)


Fig. 2 - Geological section at AMA site


Fig. 3 - Main physical properties at AMA site: GSD, Grain Size Distribution; $\gamma$, unit weight; $\mathrm{w}_{\mathrm{L}}$, liquid limit; w, natural water content; $\mathrm{w}_{\mathrm{P}}$, plastic limit; e, voids ratio k , permeability


Fig. 4 - AMA site: plan view (a) and control section (b)


Fig. 5 - Features of mechanised tunnelling introduced in numerical simulation (not to scale)


Fig. 6 - FE mesh


Fig. 7 - Calibration of parameters $N, \lambda^{*}$ and $k^{*}$ from oedometer tests on LSO samples


Fig. 8 - $\quad$ Calibration of hypoplastic model for clays from triaxial tests on LSO samples: CID (a, b); CIU (c); CKoU (d)



Fig. 10 - Preliminary analyses: longitudinal (a) and transverse (b) settlement troughs


Fig. 11 - Class A predictions, longitudinal settlement trough: (a) North (b) South Tunnel (arrows indicate position of tunnel face)


Fig. 12 - Class A predictions: transverse settlement troughs at various depths


Figure 13 - Class A predictions, incremental displacement vectors: (a) North Tunnel and (b) South Tunnel

(a)

(b)

Fig. 14 - Class A predictions: (a) incremental displacements foci and (b) transverse horizontal displacements at various depths



Fig. 16 - Class A predictions: profiles of incremental settlements for Trivecs: (a) North Tunnel, (b) South Tunnel


Fig. 17 - Class A predictions: profiles of incremental horizontal displacements for Trivecs: (a) North Tunnel, (b) South Tunnel


Fig. 18 - Class A predictions: contours of incremental volumetric strains (small strain range): (a) North Tunnel, (b) South Tunnel

(a)

(b)

Fig. 19 - Class A predictions: contours of incremental deviatoric strains (log scale): (a) North Tunnel, (b) South Tunnel


Fig. 20 - Class A predictions: pore water pressure for piezometers installed at monitoring section: (a) North Tunnel; (b) South Tunnel

Table a: layer R - material constants for hypoplastic model for granular material and physical properties

| $h_{\text {s }}$ | $n$ | $e_{0}$ | $e_{\text {co }}$ | ${ }_{\text {do }}$ | $\begin{gathered} \phi^{\prime} \\ c \\ \left.{ }^{\prime}\right] \\ \hline \end{gathered}$ | $a$ | $\beta$ | $m_{\text {R }}$ | $m_{\text {T }}$ | $R$ | $\beta$ | $\chi$ | $\begin{gathered} r \\ {\left[\mathrm{kN} / \mathrm{m}^{3}\right]} \end{gathered}$ | $\begin{gathered} k \\ {[\mathrm{~m} / \mathrm{s}]} \end{gathered}$ | $K_{\text {o }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $3.4 \mathrm{E}+6$ | 0.24 | I.I | 0.9 | 0.525 | 34 | 0.19 | 1. 5 | 13.5 | 2.0 | ı.E-4 | 0.5 | 6.0 | 17.0 | ı.E-5 | 0.441 |

Table 2: layer LSO - material constants for hypoplastic model for clay and physical properties

| $\begin{aligned} & \phi_{c}^{\prime}{ }_{c}^{\prime} \\ & {\left[{ }^{\circ}\right.} \\ & \hline \end{aligned}$ | $N$ | $\lambda *$ | $\kappa^{*}$ | $\nu$ | Ag | $n_{g}$ | $m_{R A T}$ | $R$ | $\beta_{r}$ | $\chi$ | $\begin{gathered} r \\ {\left[\mathrm{kN} / \mathrm{m}_{3}\right]} \end{gathered}$ | $\begin{gathered} k \\ {[\mathrm{~m} / \mathrm{s}]} \end{gathered}$ | $K_{\text {o }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 33 | 0.942 | . 075 | 0.012 | 0.2 | 18384.0 | 0.427 | 0.5 | I.E-4 | 0.4 | I. 3 | 19.5 | ı.E-6 | 0.525 |

Table 3: layer SG - material constants for linear elastic - perfectly plastic model and physical properties

| $\boldsymbol{\phi}_{\mathrm{c}}^{\prime}$ <br> $\left[{ }^{\circ}\right]$ | $c^{\prime}$ <br> $[\mathrm{kPa}]$ | $E^{\prime}$ <br> $[\mathrm{MPa}]$ | $\boldsymbol{\nu}^{\prime}$ | $\boldsymbol{\gamma}$ <br> $\left[\mathrm{kN} / \mathrm{m}^{3}\right]$ | $\boldsymbol{k}$ <br> $[\mathrm{m} / \mathrm{s}]$ | $\boldsymbol{K}_{o}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 45 | 0.0 | 316 | 0.2 | 20.0 | $\mathrm{IE}-4$ | 0.293 |

